

# New Clustering-based Forecasting Method for Disaggregated End-consumer Electricity Load Using Smart Grid Data

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# Motivation

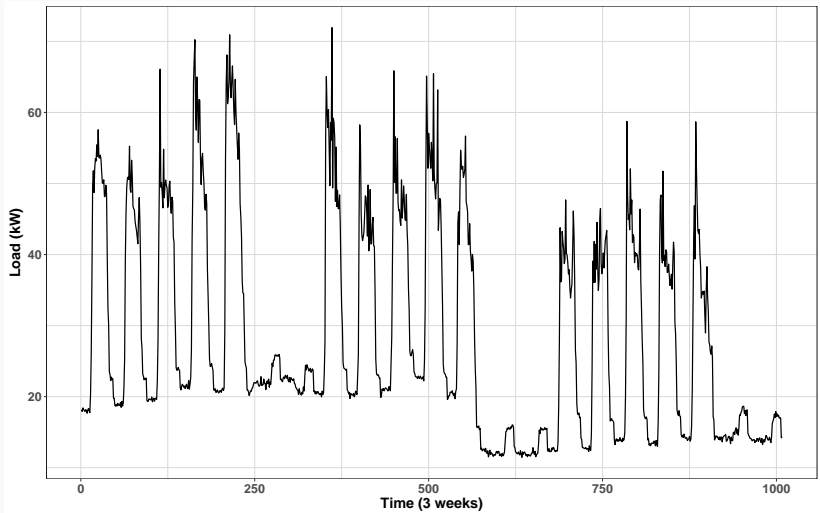
More accurate **forecast** of electricity consumption is needed due to:

- Optimization of electricity consumption.
- Distribution (utility) companies. Deregulation of the market. Purchase and sale of electricity.
- Ecological factors.

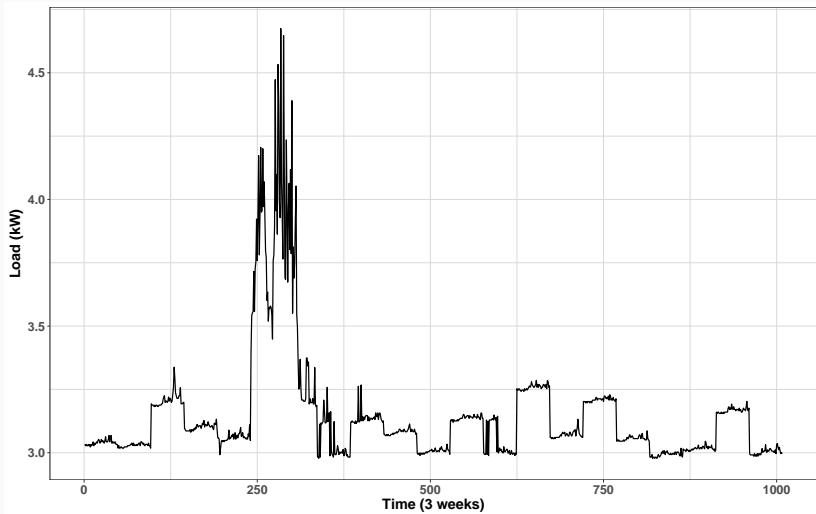
However, it is very **difficult task** for **individual end-consumers** due to:

- Stochastic behaviour (processes).
- Many factors influencing the consumption:
  - Seasonality
  - Weather
  - Holidays
  - Market

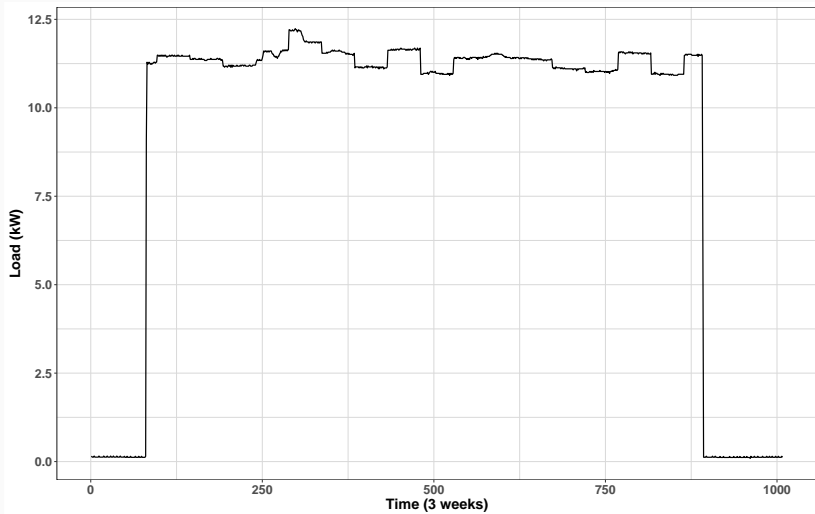
# Example of consumers electricity load



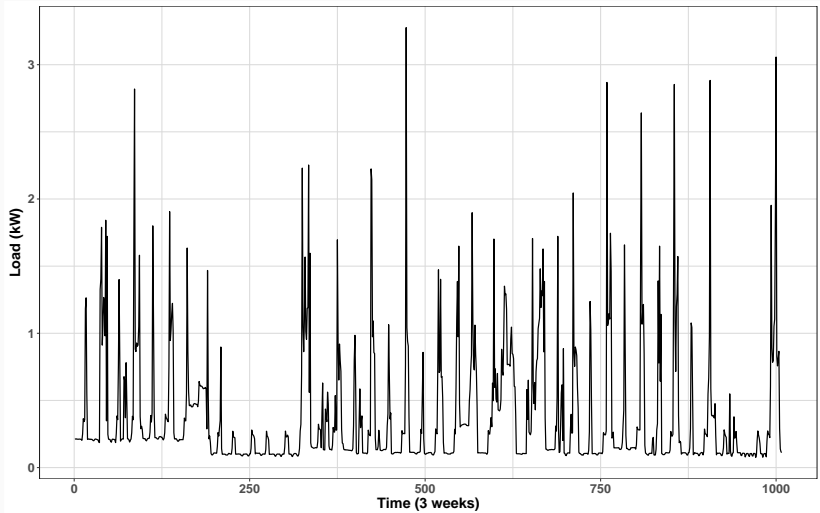
# Example of consumers electricity load



# Example of consumers electricity load



# Example of consumers electricity load - residential



## Classical vs. our approach

The classical way is to train a model for every consumer separately (drawbacks).

Our approach uses data from **all consumers** in a smart grid to overcome stochastic changes and noisy character of data (time series).

Solution: **clustering** of all consumers.

# Our method

We will suppose that  $N$  is a number of consumers, the length of the training set is 21 days (3 weeks) whereby in every day we will consider  $24 \times 2 = 48$  measurements, and we will execute **one hour ahead forecasts**.

1. Starting with iteration  $iter = 0$ .
2. Creating of time series for each consumer of the lengths of three weeks.
3. **Normalisation** of each time series by z-score (keeping a mean and a standard deviation in memory for every time series).
4. Computation of **representations** of each time series.
5. K-means **clustering** of representations and an **optimal number of clusters** is computed.
6. The extraction of  $K$  **centroids** and using them as **training set** to any forecasting method.
7. The **denormalisation** of  $K$  forecasts using the stored mean and standard deviation to produce  $N$  forecasts.
8.  $iter = iter + 1$ . If  $iter$  is divisible by 24 ( $iter \bmod 24 = 0 \bmod 24$ ) then steps 4) and 5) are performed otherwise they are skipped and the stored centroids are used.



# Representation of time series

After normalisation -> computation of representations of time series.

We conducted from our previous works <sup>1</sup> that clustering **model-based representations** significantly improves accuracy of the forecast of the global (aggregate) consumption.

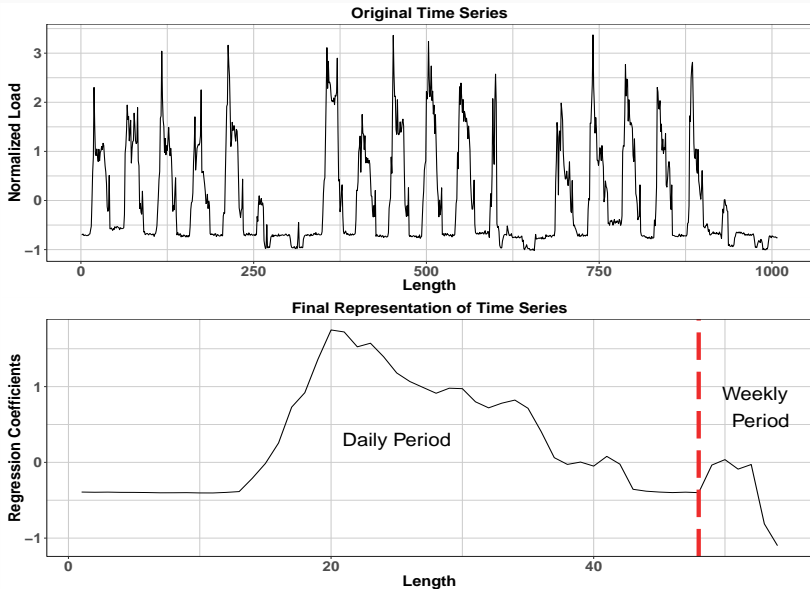
For a representation, **regression coefficients** from the **multiple linear regression** is used. The linear model is composed of daily and weekly seasonal parameters.

$$x_t = \beta_{d1}u_{td1} + \dots + \beta_{ds}u_{tds} + \beta_{w1}u_{tw1} + \dots + \beta_{w6}u_{tw6} + \varepsilon_t$$

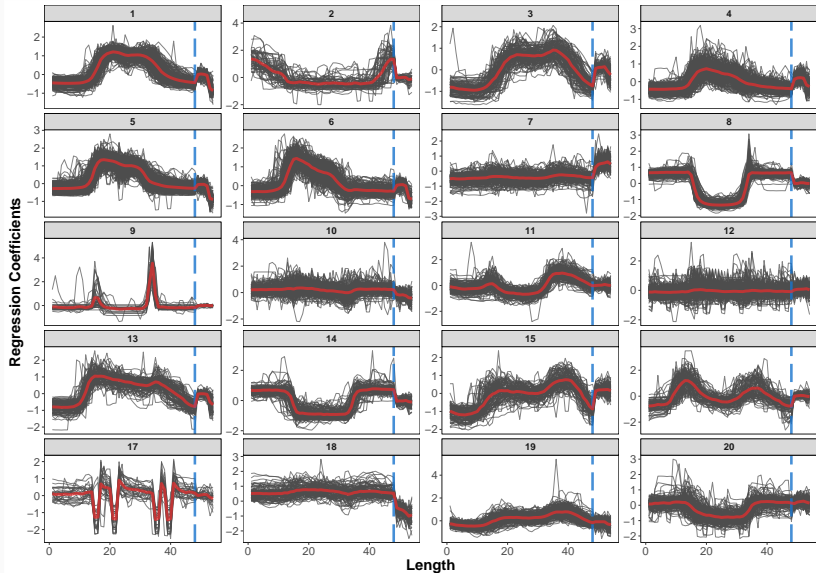
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<sup>1</sup>Laurinec et al., WCECS (2016) and ICDMW (2016)

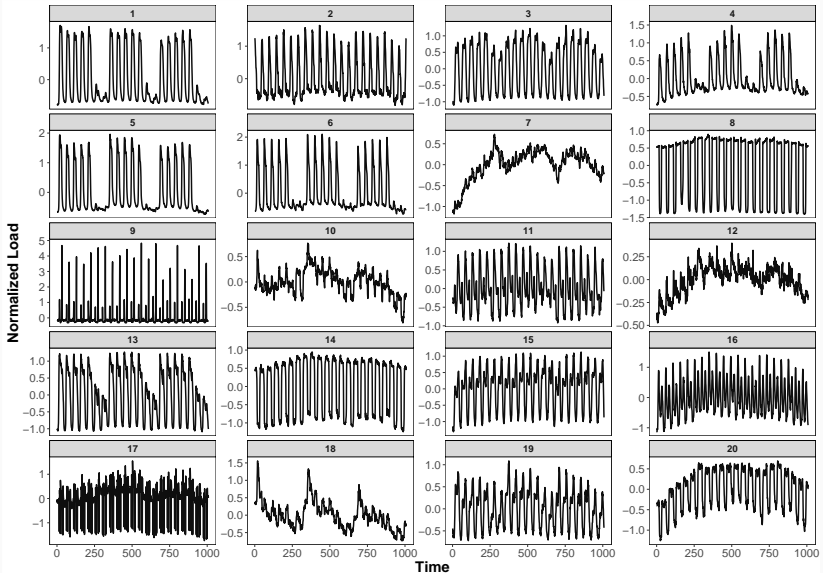
# Representation of time series



# Clustering



# Final centroids



## Four methods were implemented

- Seasonal naive method (SNAIVE)
- Multiple Linear Regression (MLR)
- Random Forest (RF)
- Triple exponential smoothing (ES)

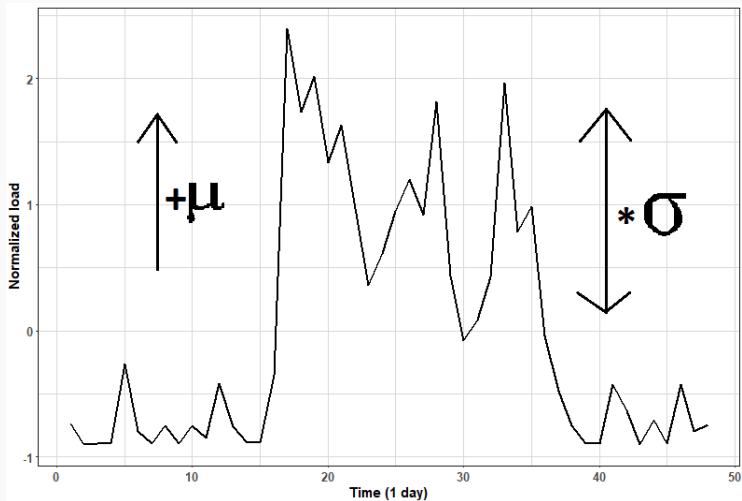
MAE (Mean Absolute Error):

$$\frac{1}{n} \sum_{t=1}^n |x_t - \bar{x}_t|,$$

where  $x_t$  is a real consumption,  $\bar{x}_t$  is the forecasted load and  $n$  is a length of data.

# Scaling forecasts

Denormalising  $K$  centroid-based forecasts by stored mean and standard deviation from every consumer ( $N$ ).



## Data for experiments

We used two different datasets consisting of a large number of **variable patterns** that were gathered from smart meters. This measurement data includes Irish and Slovak electricity load data.

For the **Irish residential** testing dataset (3639 consumers) the data measurements from 1.2.2010 to 21.2.2010.

For the **Slovak factories** testing dataset (3607 consumers) the data measurements from 10.2.2014 to 2.3.2014.

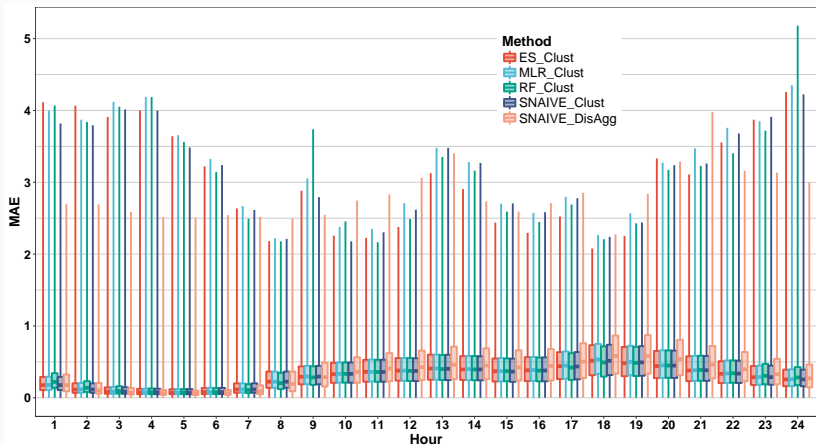
# Evaluation

MAE	Ireland dataset		
	Mean	Median	Max
<b>SNAIVE_DisAgg</b>	0.3807 ± 0.203	<b>0.1928 ± 0.147</b>	3.014 ± 1.3
SNAIVE_Clust	0.3373 ± 0.178	0.235 ± 0.143	2.6605 ± 1.192
<b>MLR_Clust</b>	0.3403 ± 0.18	0.2394 ± 0.146	<b>2.6453 ± 1.187</b>
RF_Clust	0.3394 ± 0.18	0.2425 ± 0.147	2.675 ± 1.192
<b>ES_Clust</b>	<b>0.3359 ± 0.177</b>	0.2387 ± 0.144	2.6629 ± 1.189

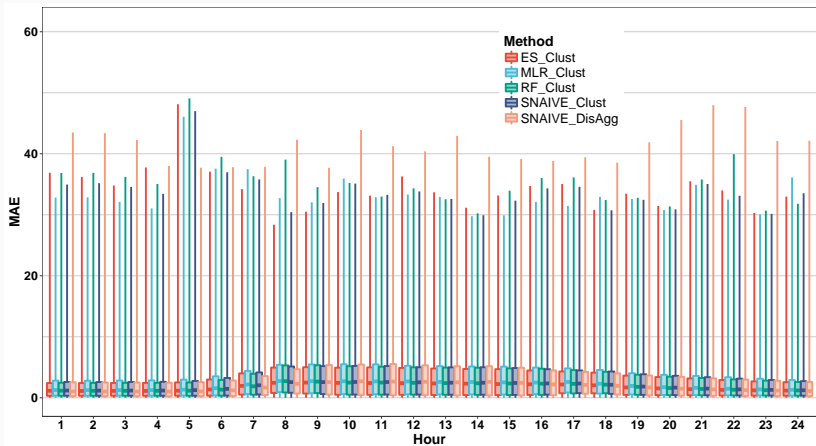
MAE	Slovak dataset		
	Mean	Median	Max
<b>SNAIVE_DisAgg</b>	2.6903 ± 2.854	<b>1.769 ± 2.27</b>	16.1599 ± 14.621
SNAIVE_Clust	2.7873 ± 2.858	2.1479 ± 2.452	14.0958 ± 12.711
<b>MLR_Clust</b>	2.9326 ± 2.984	2.3109 ± 2.612	<b>14.0306 ± 12.673</b>
RF_Clust	2.7639 ± 2.836	2.0765 ± 2.388	14.4476 ± 13.081
<b>ES_Clust</b>	<b>2.6752 ± 2.771</b>	2.0283 ± 2.357	14.1695 ± 12.816



# Ireland dataset results



# Slovak dataset results



# Conclusion

- Newly proposed **clustering-based** forecasting method for end-consumer load using **all data from a smart grid**.
- We proved that our clustering-based method **decreases the forecasting error** in the meaning of an **average** and the **maximum** (high rates of error).
- However, the error rates did not decrease with respect to the median because of the nature of smart meter data.
- Our method needs to train only  $K$  models (in our case about **28**) instead of  $N$  models (**thousands**) that is leading to a huge **decrease of the computational load**.

## Future work:

- More experiments to find the number of optimal clusters.
- Other centroid-based clustering methods like K-medians, K-medoids and Fuzzy C-means can be also used.